

Views

|||

```
SELECT l.partkey
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
      AND o.orderdate > DATE('2015-03-31')
ORDER BY l.shipdate DESC
LIMIT 10;
```

```
SELECT l.partkey, COUNT(*)
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
      AND o.orderdate > DATE('2015-03-31')
GROUP BY l.partkey;
```

```
SELECT l.supkey, COUNT(*)
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
      AND o.orderdate > DATE('2015-03-31')
GROUP BY l.supkey;
```

MATERIALIZED

```
CREATE VIEW salesSinceLastMonth AS
SELECT l.*
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
AND o.orderdate > DATE('2015-03-31')
```

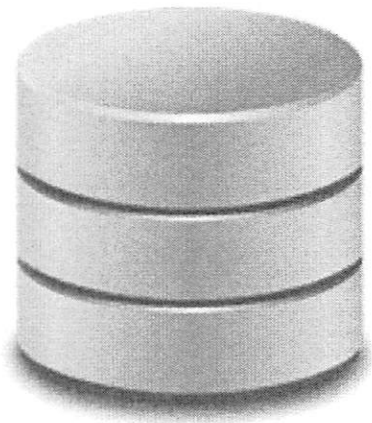
```
SELECT partkey FROM salesSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```

```
SELECT suppkey, COUNT(*)
FROM salesSinceLastMonth
GROUP BY suppkey;
```

```
SELECT partkey, COUNT(*)
FROM salesSinceLastMonth
GROUP BY partkey;
```

```
SELECT partkey FROM ordersSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```

```
SELECT partkey FROM
(
  SELECT l.*
  FROM lineitem l, orders o
  WHERE l.orderkey = o.orderkey
    AND o.orderdate > DATE('2015-03-31')
) AS salesSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```



D: Database

ΔD : Change

Q: Query

Insert
Delete
Update

$Q(D)$: Result

We have: $Q(D)$, ΔD

We want: $Q(D + \Delta D)$

$Q(D) + \Delta Q(D, \Delta D)$
we have fast
fast

$$\Delta D: R \rightarrow R \cup \Delta R$$

~~$$Q(R) \rightarrow Q(R + \Delta R)$$~~

$$Q(R) \quad Q(D + \Delta D): \underbrace{R}_{\mathcal{R}} \cup \underbrace{\Delta R}_{\Delta \mathcal{R}}$$

$$Q(D): \pi S \quad Q(D + \Delta D): \underbrace{\pi S}_{\mathcal{S}} \cup \underbrace{\pi \Delta S}_{\Delta \mathcal{S}}$$

$$Q(D): \sigma S \quad Q(D + \Delta D): \underbrace{\sigma S}_{\mathcal{S}} \cup \underbrace{\sigma \Delta S}_{\Delta \mathcal{S}}$$

$$Q(D): S \cup S' \quad Q(D + \Delta D): \underbrace{S \cup S'}_{\mathcal{S}} \cup \underbrace{\Delta S \cup \Delta S'}_{\Delta \mathcal{S}}$$

$$C(D) : 2A^2$$

$$C(D+D) :$$

$$\frac{2}{3}A^2, \underline{A^2}, \underline{A^2}, \underline{A^2}, \underline{A^2}$$

$$C(D) : 2-2$$

$$C(D+D) :$$

$$\frac{1}{3}2, \frac{1}{3}2, \frac{1}{3}2$$

$$C(D) : 1-1$$

$$C(D+D) :$$

$$1-1, \underline{A}, \underline{A}, \underline{A}, \underline{A}$$

~~C(B)~~

$$C(D+D) :$$

$$\frac{1}{3}2, \underline{A}, \underline{A}, \underline{A}$$

~~C(B) \rightarrow C(B+D)~~

$$\Delta D : B \Rightarrow B A \Delta B$$

$$QD^{-1}Q(SXS')$$

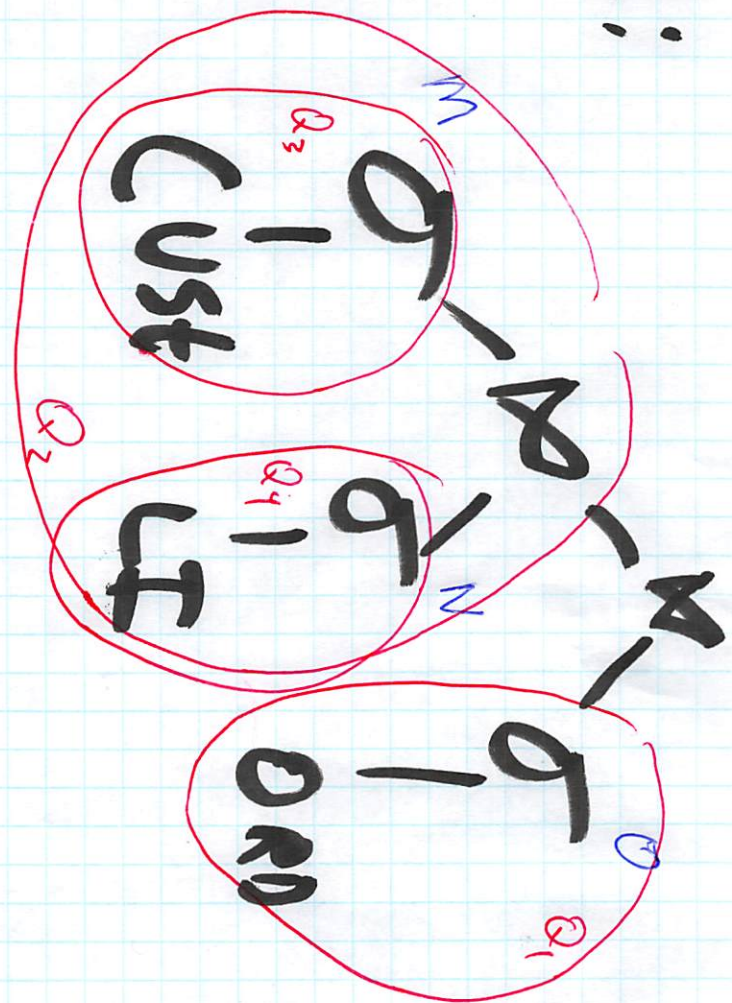
$$Q(D+D)$$

$$Q \underbrace{(SXS')^{-1} A(SXS')^{-1} (DSXS')^{-1} A(DSXS')^{-1} A(DSXS')^{-1}}_{DQ}$$

\subset Also works for

\forall

Q3:



$\Delta D = \text{Insert into LI}$

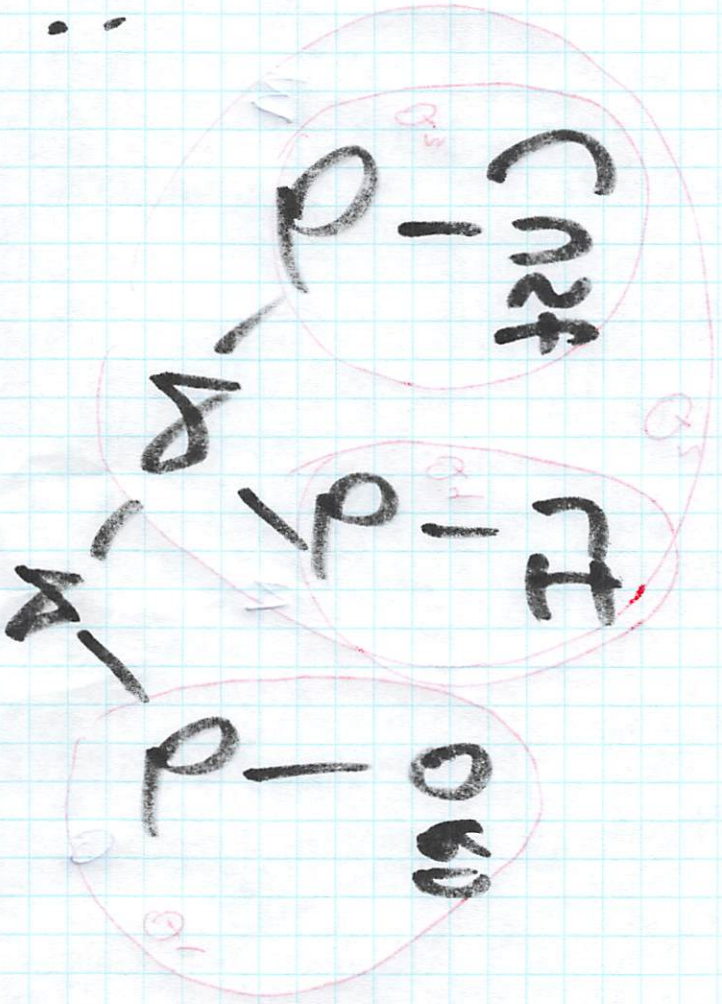
$\Delta Q : (O_{ORD}) \times (O_{Cust}) \times (O_{LI})$

M

small const

$$\Delta \Gamma : (0 \text{ or } 1) \wedge (0 \text{ or } 1) \wedge (0 \text{ or } 1) \wedge (0 \text{ or } 1) \wedge (0 \text{ or } 1)$$

$$\Delta D = \text{Insert} \vee \text{I} \vee \text{I}$$



Q3:

$$Q_1 = \sigma \circ \alpha \quad Q_2 = \sigma \circ \alpha \circ \sigma \circ \tau$$

$$\Delta Q = (\alpha, \kappa \Delta Q_2) \circ A(\alpha, \kappa \alpha_2) \circ A(\alpha, \kappa \alpha_2)$$

(for an insert into LI)

but $\Delta Q_1 = \emptyset$
 and $\emptyset \circ R = \emptyset$
 and $\emptyset \circ R = R$

$$= (\alpha, \kappa \Delta Q_2)$$

$$Q_2 = \sigma \circ \alpha$$

$$Q_2 = \sigma \circ \tau \circ \alpha$$

$$\Delta Q_2 = (\alpha, \kappa \Delta Q_1) = (\alpha, \kappa \sigma \circ \tau \circ \alpha)$$

so

$$\Delta Q = (\sigma \circ \alpha) \circ \kappa (\sigma \circ \tau \circ \alpha) \circ \kappa (\sigma \circ \tau \circ \alpha)$$

$$\Delta \theta = (Q \ 0 \ 0 \ q) \wedge (0 \ \text{rot} \ c \ m \ q) \wedge (Q \ L \ T \ I)$$

20

$$\begin{aligned} \Delta \theta^s &= (\theta^s \wedge \Delta \theta^h) = (\theta^s \wedge Q \ L \ T \ I) \\ &= \theta^s = Q \ C \\ &= (\theta^s \wedge \Delta \theta^s) \end{aligned} \quad \theta^h = Q \ L \ T \ I$$

and $\theta^h = B$

and $\theta^h = B$

(into TI)
(forward insert)

$\Delta \theta^s = Q \ C$

$$\Delta \theta = (\theta^s \wedge \Delta \theta^s) \wedge (\theta^h \wedge \Delta \theta^h) \wedge (\theta^h \wedge \Delta \theta^h)$$

$$\theta^s = Q \ 0 \ 0 \ q \quad \theta^h = Q \ C \ m \ Q \ T \ I$$


```
CREATE MATERIALIZED VIEW salesSinceLastMonth AS
SELECT l.*
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
AND o.orderdate > DATE('2015-03-31')
```

```
SELECT l.partkey
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
AND o.orderdate > DATE('2015-03-31')
ORDER BY l.shipdate DESC
LIMIT 10;
```

Update salesSinceLastMonth
Set statuscode='Q' WHERE orderkey=22

```
CREATE TRIGGER salesSinceLastMonthInsert
INSTEAD OF INSERT ON salesSinceLastMonth
REFERENCING NEW ROW AS newRow
FOR EACH ROW
  IF NOT EXISTS (
    SELECT * FROM ORDERS
    WHERE ORDERS.orderkey = newRow.orderKey)
  ) THEN
    INSERT INTO ORDERS(orderkey)
      VALUES (orderkey)
  END IF;
  INSERT INTO LINEITEM VALUES newRow;
END FOR;
```

▼ Motivation — Why are Views Useful?

▼ Give an example query:

▼ Workloads often have repeating patterns:

- ```
SELECT l.partkey
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
 AND o.orderdate > DATE('2015-03-31')
ORDER BY l.shipdate DESC
LIMIT 10;
```
- ```
SELECT l.partkey, COUNT(*)
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
      AND o.orderdate > DATE('2015-03-31')
GROUP BY l.partkey;
```
- ```
SELECT l.supkey, COUNT(*)
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
 AND o.orderdate > DATE('2015-03-31')
GROUP BY l.supkey;
```

### ▼ View Definition

- ```
CREATE VIEW salesSinceLastMonth AS
SELECT l.*
FROM lineitem l, orders o
WHERE l.orderkey = o.orderkey
      AND o.orderdate > DATE('2015-03-31')
```
- ```
SELECT partkey FROM salesSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```
- ```
SELECT supkey, COUNT(*)
FROM salesSinceLastMonth
GROUP BY supkey;
```
- ```
SELECT partkey, COUNT(*)
FROM salesSinceLastMonth
GROUP BY partkey;
```

## ▼ Definition — What is a View / How are they used?

### ▼ Views act as normal relations

- ```
SELECT partkey FROM salesSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```
- ```
SELECT partkey FROM
(
 SELECT l.*
 FROM lineitem l, orders o
 WHERE l.orderkey = o.orderkey
 AND o.orderdate > DATE('2015-03-31')
```

```
) AS salesSinceLastMonth
ORDER BY shipdate DESC LIMIT 10;
```

#### ▼ Views contain and abstract concepts

- Analogous to a function
- Complex query patterns can be given an shorthand
- Can freely change view logic “in the background” (Change ‘last month’)
- But not quite normal relations...

## ▼ View Updates

```
▼ UPDATE salesSinceLastMonth
 SET statusCode = 'q';
WHERE orderkey = 22;
```

- Easy... rows in salesSinceLastMonth go 1-1 with LINEITEM.
- Can find the row of line item that matches a given row of salesSinceLastMonth and update it.

```
▼ INSERT INTO salesSinceLastMonth
 (orderkey, partkey, suppkey, ...)
VALUES
 (22, 99, 42, ...);
```

- Harder...
- What happens if order #22 doesn't exist?
- How does the insertion interact with sequences (e.g., Lineitem.lineno)
- CREATE TRIGGER salesSinceLastMonthInsert  
INSTEAD OF INSERT ON salesSinceLastMonth  
REFERENCING NEW ROW AS newRow  
FOR EACH ROW  
IF NOT EXISTS (  
 SELECT \* FROM ORDERS  
 WHERE ORDERS.orderkey = newRow.orderKey)  
) THEN  
 INSERT INTO ORDERS(orderkey)  
 VALUES (orderkey)  
END IF;  
INSERT INTO LINEITEM VALUES newRow;  
END FOR;

- InsteadOf triggers update rows

## ▼ View Materialization

- Views exist because they're queried frequently...
- ▼ Why not use them to make computations faster.
  - Precompute (materialize) the view's contents (like an index)
- ▼ Challenges:

- What happens when the data behind the view changes?
- What happens when the view definition changes?
- What happens when we write a query without realizing we have a view?

## ▼ Updates to Materialized Views

- ▼ Let's say you have a database D and a query Q
  - $Q(D)$  is the result of your query on the database
- ▼ Let's say you make a change  $\Delta D$  (e.g., Insert Tuple)
  - $Q(D+\Delta D)$  is the new result
- ▼ If we have  $Q(D)$ , can we get  $Q(D+\Delta D)$  faster?
  - Analogy to Sum  $\{34,29,10,15\} + \{12\}$  ( $== 88+12$ )
- ▼ Specific query examples
  - Projection
  - Selection
  - Union
  - Cross-Product
  - Aggregation
- ▼ Interactions with...
  - Insert
  - Delete
  - Update

## ▼ View Selection

- ▼ Can we use materialized views without knowing about them?
  - `CREATE MATERIALIZED VIEW salesSinceLastMonth AS  
SELECT l.*  
FROM lineitem l, orders o  
WHERE l.orderkey = o.orderkey  
AND o.orderdate > DATE('2015-03-31')`
  - `SELECT l.partkey  
FROM lineitem l, orders o  
WHERE l.orderkey = o.orderkey  
AND o.orderdate > DATE('2015-03-31')  
ORDER BY l.shipdate DESC  
LIMIT 10;`
- ▼ Simplify the query model:
  - View: `SELECT Lv FROM Rv WHERE Cv`
  - Query: `SELECT Lq FROM Rq WHERE Cq`



▼ When can we rewrite this query?

- $R_v \subseteq R_q$  (All relations in the view are in the query join)
- $C_q = C_v \wedge C'$  (The view condition is weaker than the query condition)
- $L_q \cap \text{attrs}(R_v) \subseteq L_v$  (The view doesn't project away attributes needed for the output)
- $\text{attrs}(C') \cap \text{attrs}(R_v) \subseteq L_v$  (The view doesn't project away attributes needed for the condition)

▼ The whole thing rewrites to:

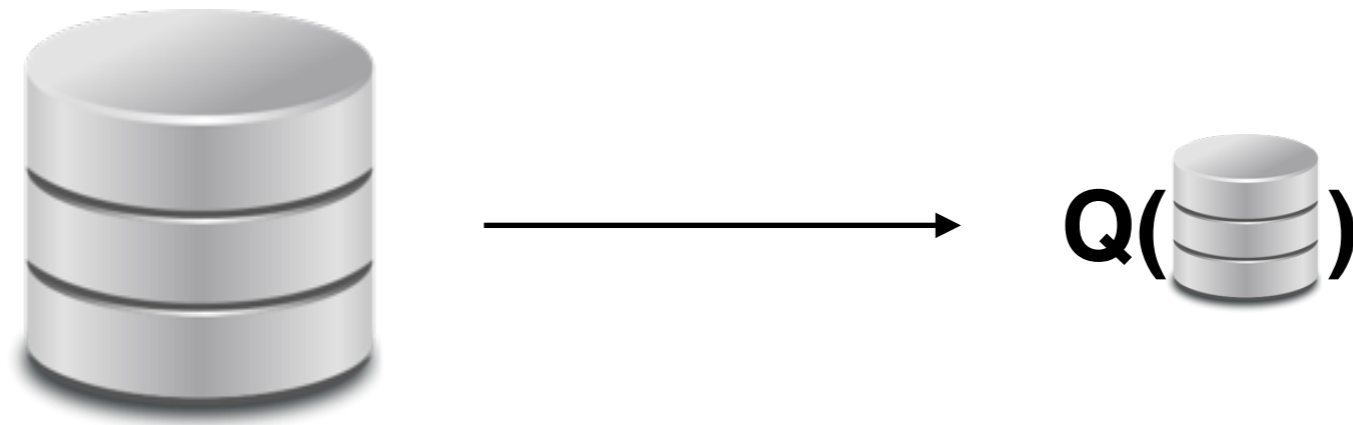
- `SELECT Lq FROM (Rq-Rv), view WHERE C'`

• Views for Transactions

# Incremental View Maintenance

*Not covered by Database Systems: TCB*

# Materialized Views



**When the base data changes, the view needs to be updated**

# Materialized Views



**When the base data changes, the view needs to be updated**

# View Maintenance

**VIEW ← Q(D)**



# View Maintenance

```
WHEN $D \leftarrow D + \Delta D$ DO:
 VIEW $\leftarrow Q(D + \Delta D)$
```

**Re-evaluating the query from scratch is expensive!**

# View Maintenance

(ideally) Smaller & Faster Query

WHEN  $D \leftarrow D + \Delta D$  DO:  
VIEW  $\leftarrow$  VIEW  $+ \Delta Q(D, \Delta D)$

(ideally) Fast “merge” operation.

# Intuition

$$D = \{1, 2, 3, 4\} \quad \Delta D = \{5\}$$

$$\underline{Q}(D) = \text{SUM}(D)$$

$$\underline{Q}(D + \Delta D) \sim O(|D| + |\Delta D|)$$

$$\text{VIEW} + \text{SUM}(\Delta D) \sim O(|\Delta D|)$$

# Intuition

$$R = \{1, 2, 3\}, S = \{5, 6\} \quad \Delta R = \{4\}$$

$$Q(R, S) = \text{COUNT}(R \times S)$$

$$Q(R + \Delta R, S) \sim O( (|R| + |\Delta R|) * |S| )$$

$$\text{VIEW} + \text{COUNT}(|\Delta R| * |S|) \sim O(|\Delta R| * |S|)$$

# Intuition

**+ ~ U**

**\* ~ X**

**Are these kinds of patterns common?**

# Rings/Semirings

This kind of pattern occurs frequently.

**Semiring** :  $\langle \mathbf{S}, +, \times, \mathbf{S}_0, \mathbf{S}_1 \rangle$

Any set of ‘things’  $\mathbf{S}$  such that...

Closed

$$\mathbf{S}_i + \mathbf{S}_j = \mathbf{S}_k$$

$$\mathbf{S}_i \times \mathbf{S}_j = \mathbf{S}_k$$

$$\mathbf{S}_i + \mathbf{S}_0 = \mathbf{S}_i$$

$$\mathbf{S}_i \times \mathbf{S}_1 = \mathbf{S}_i$$

$$\mathbf{S}_i \times \mathbf{S}_0 = \mathbf{S}_0$$

Additive &  
Multiplicative  
“zeroes”

$$\mathbf{S}_i \times (\mathbf{S}_j + \mathbf{S}_k) = (\mathbf{S}_i \times \mathbf{S}_j) + (\mathbf{S}_i \times \mathbf{S}_k)$$

Distributive

# Rings/Semirings

**Ring :  $\langle S, +, \times, S_0, S_1, - \rangle$**

Any semiring where every element has an additive inverse...

$$S_i + (-S_i) = S_0$$



**THE TANGENT ENDS NOW**



# Incremental View Maintenance

**WHEN  $D \leftarrow D + \Delta D$  DO:**

**$VIEW \leftarrow VIEW + \Delta Q(D, \Delta D)$**

Basic Challenges of IVM

What does  $\Delta R$  represent?

How to interpret  $R \pm \Delta R$ ?

How to compute  $\Delta Q$ ?

# What is $\Delta R$ ?

What does it need to represent?



Insertions

Deletions

Updates

(Delete Old Record & Insert Updated Record)

# What is $\Delta R$ ?

A Set/Bag of Insertions

A Set/Bag of Deletions

# What is +?

**R**      **+**       **$\Delta R$**

A Set/Bag

**+**

A Set/Bag of Insertions

A Set/Bag of Deletions

R

U

$\Delta R_{\text{inserted}}$

-

$\Delta R_{\text{deleted}}$

**But this breaks closure of '+'!**

# Incremental View Maintenance

$VIEW \leftarrow VIEW - \Delta Q(D, \Delta D)$

Given  $Q(R, S, \dots)$

Construct  $\Delta Q(R, \Delta R, S, \Delta S, \dots)$

# Delta Queries

$$\Delta(\sigma(R))$$

$\sigma$

|

R

Original R

$\sigma$

|

$\Delta R$

Inserted  
Tuples of R

**Does this work for deleted tuples?**

# Delta Queries

$$\Delta(\pi(R)) = \pi(\Delta R)$$

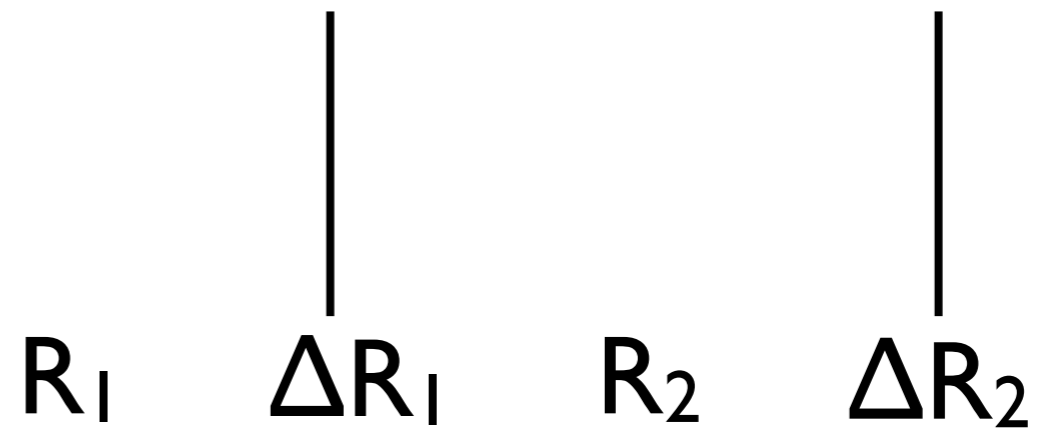
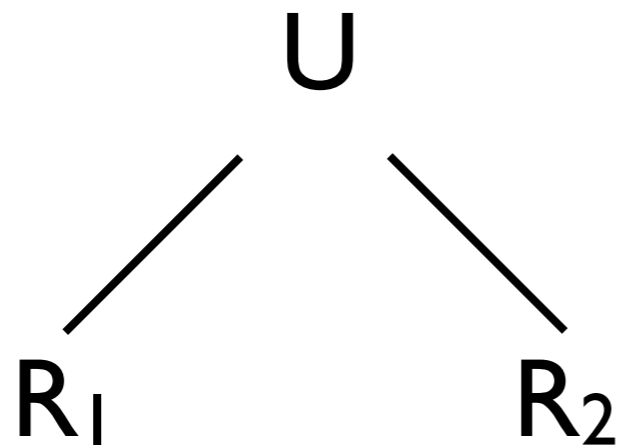
$\pi$   
|  
R

$\pi$   
|  
R       $\Delta R$

**Does this work (completely) under set semantics?**

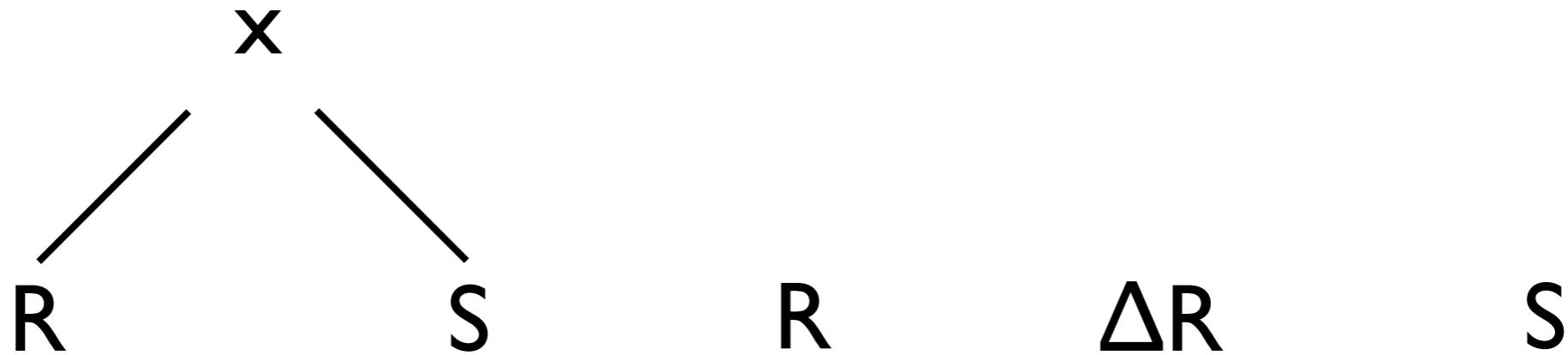
# Delta Queries

$$\Delta(R_1 \cup R_2)$$





# Delta Queries



# Delta Queries

$$R : \{ 1, 2, 3 \} \quad S : \{ 5, 6 \}$$

$$R \times S = \{ \langle 1, 5 \rangle, \langle 1, 6 \rangle, \langle 2, 5 \rangle, \langle 2, 6 \rangle, \langle 3, 5 \rangle, \langle 3, 6 \rangle \}$$

$$\Delta R_{\text{inserted}} = \{ 4 \}$$

$$\Delta R_{\text{deleted}} = \{ 3, 2 \}$$

$$(R + \Delta R) \times S = \{ \langle 1, 5 \rangle, \langle 1, 6 \rangle, \langle \mathbf{4}, 5 \rangle, \langle \mathbf{4}, 6 \rangle \}$$

$$\Delta_{\text{inserted}}(R \times S) = \Delta R_{\text{inserted}} \times S$$

$$\Delta_{\text{deleted}}(R \times S) = \Delta R_{\text{deleted}} \times S$$

**What if R and S both change?**

# Delta Queries

Computing a Delta Query

$$\Delta(\sigma(R)) = \sigma(\Delta R)$$

$$\Delta(\pi(R)) = \pi(\Delta R)$$

$$\Delta(R_1 \cup R_2) = \Delta R_1 \cup \Delta R_2$$

$$\Delta(R_1 \times R_2) = ??$$

# Delta Queries

$$(R_1 \cup \Delta R_1) \times (R_2 \cup \Delta R_2)$$

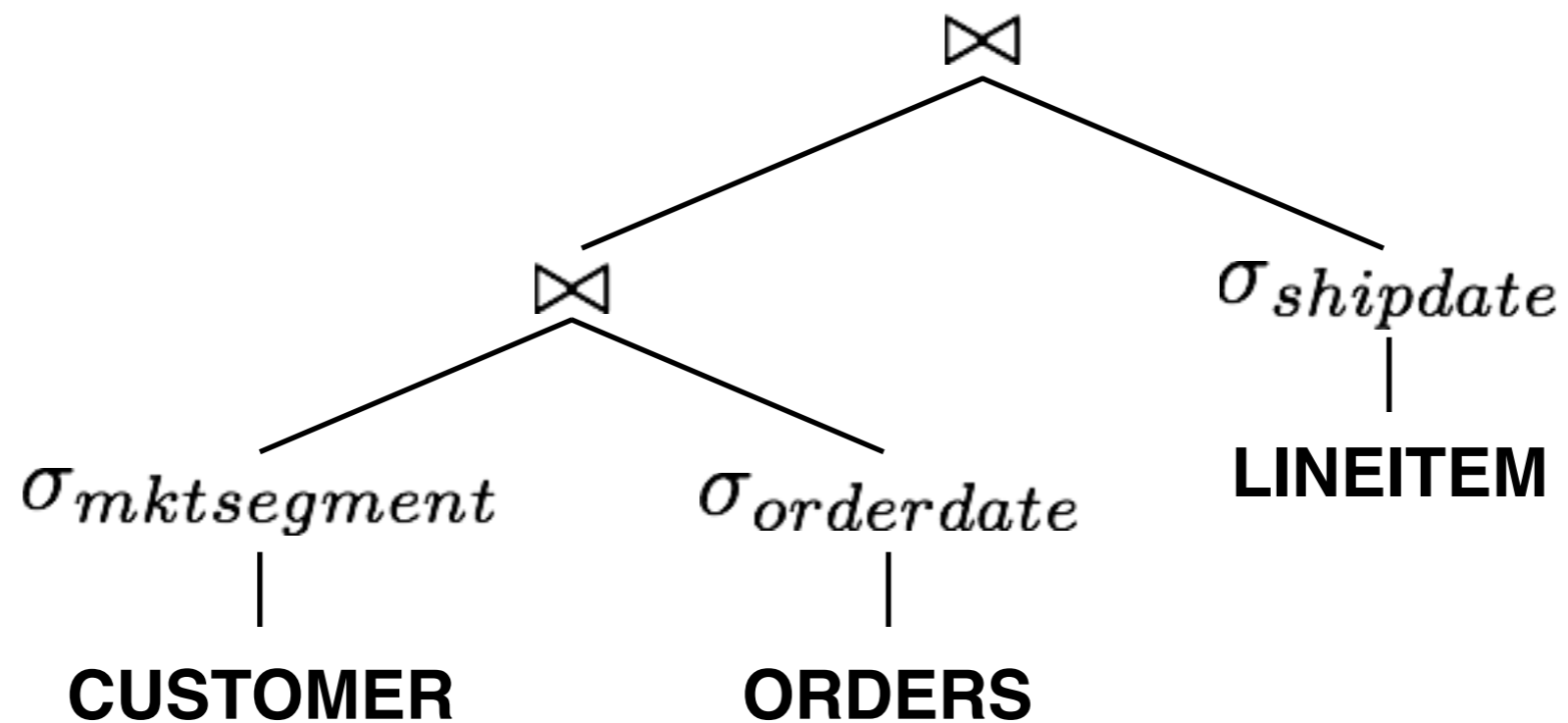
$$(R_1 \times R_2) \cup (R_1 \times \Delta R_2) \cup (\Delta R_1 \times R_2) \cup (\Delta R_1 \times \Delta R_2)$$

**The original  
query**

**The delta query**

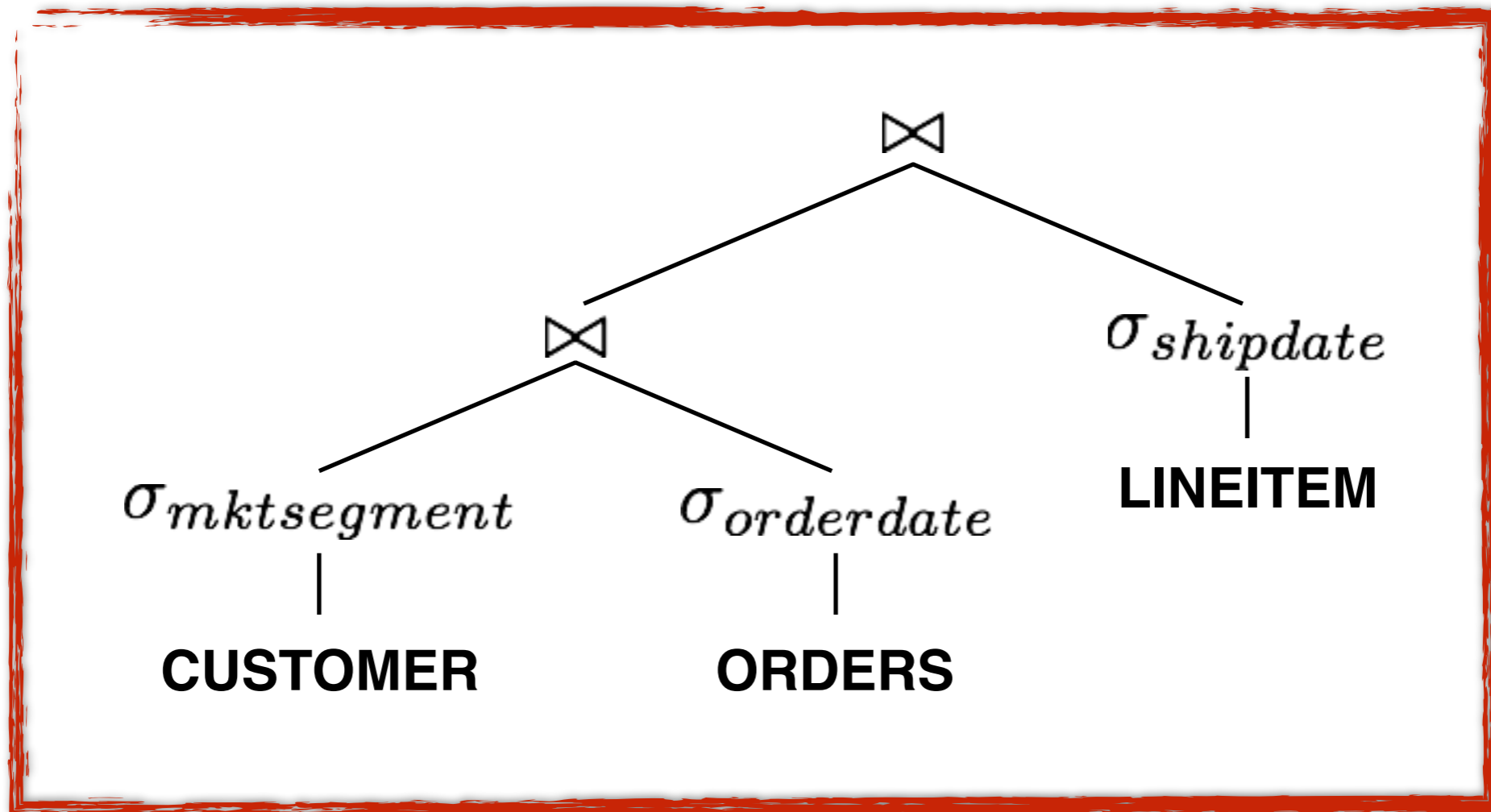
How about an example...

# Delta Queries



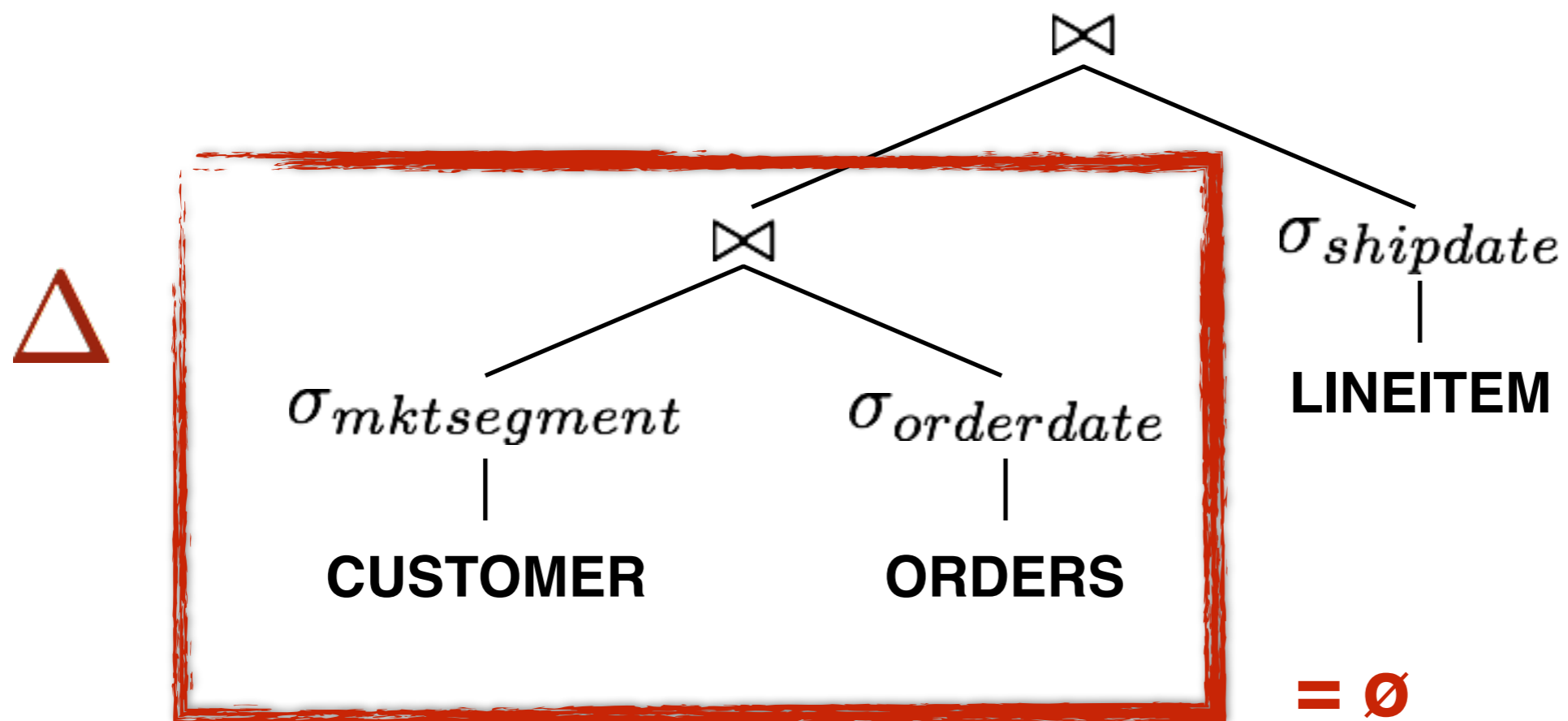
Let's say you have an insertion into LINEITEM

# Delta Queries



$$\Delta((\sigma(C) \bowtie \sigma(O)) \bowtie (\sigma(L)))$$

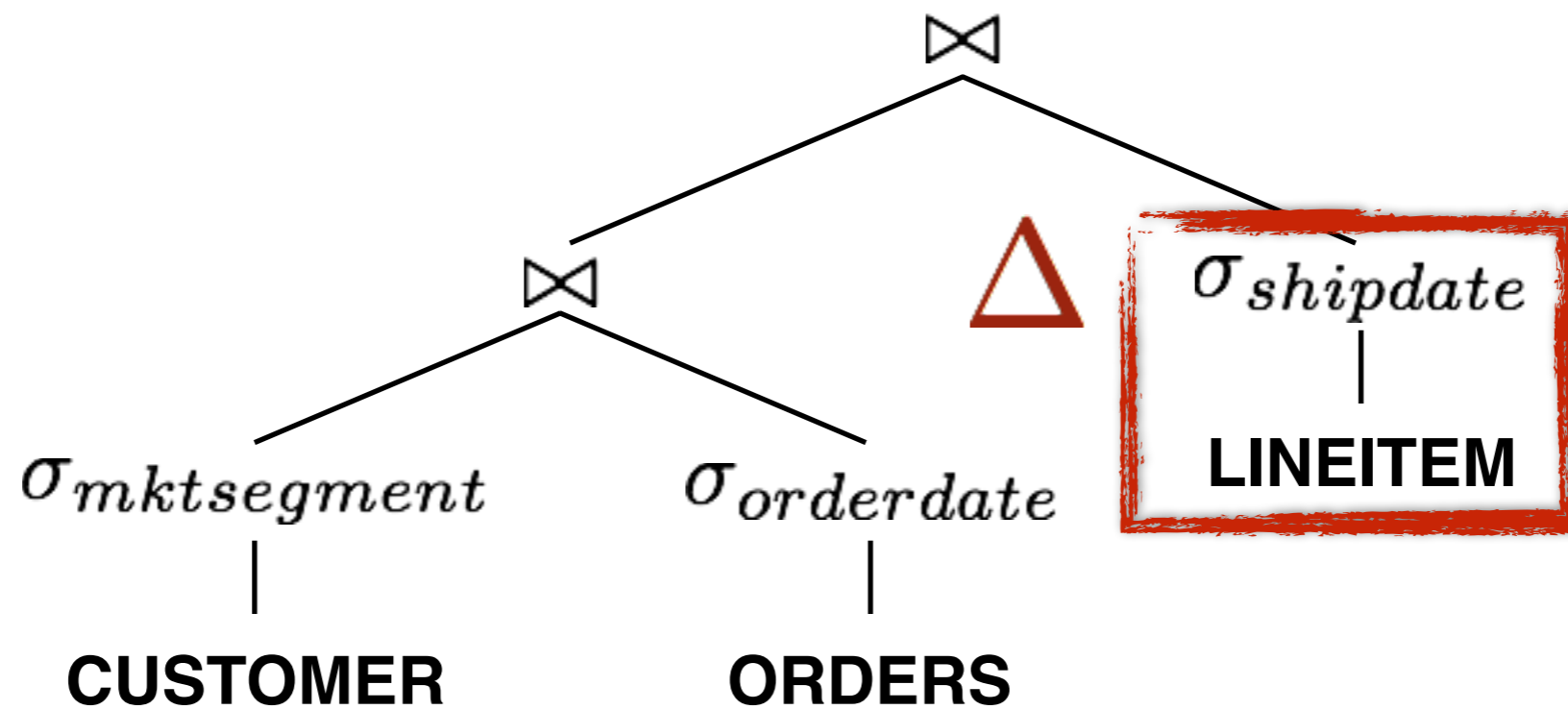
# Delta Queries



$$\Delta((\sigma(C) \bowtie \sigma(O)) \bowtie (\sigma(L)))$$

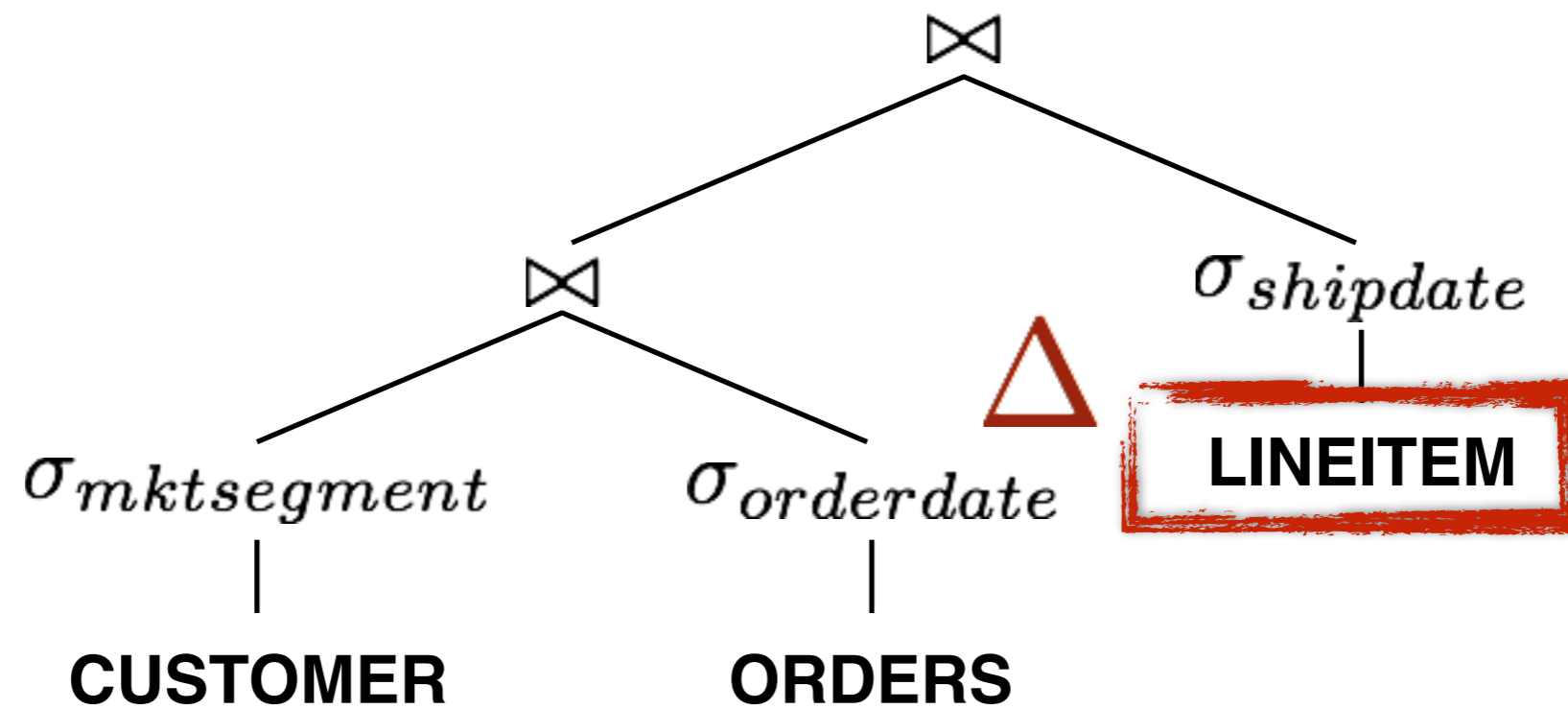


# Delta Queries



$$((\sigma(C) \bowtie \sigma(O)) \bowtie \Delta(\sigma(L)))$$

# Delta Queries



# Delta Queries

```
SELECT *
FROM CUSTOMER C, ORDERS O, DELTA_LINEITEM DL
WHERE C.custkey = O.custkey
 AND DL.orderkey = O.orderkey
 AND C.mktsegment = ...
 AND O.orderdate = ...
 AND DL.shipdate = ...
```

# Multisets

**{ 1, 1, 1, 2, 2, 2, 2, 2, 3, 3, 4, 4, 4, 4, 4, 4, 5 }**  
(not compact)

**{ 1 → x3, 2 → x5, 3 → x2, 4 → x6, 5 → x1 }**

Multiset representation: Tuple → ~~# of occurrences~~  
**multiplicity**

# Multiset Deltas

Insertions = Positive Multiplicity

Deletions = Negative Multiplicity

+ = Bag/Multiset Union

# Multiset Deltas

What does Union do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \cup \{ B \rightarrow 2, C \rightarrow 4 \} = \{ A \rightarrow 1, B \rightarrow 5, C \rightarrow 4 \}$$

$$\{ A \rightarrow 1 \} \cup \{ A \rightarrow -1 \} = \{ A \rightarrow 0 \} = \{ \}$$

# Multiset Deltas

What does Union do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \cup \{ B \rightarrow 2, C \rightarrow 4 \} = \{ A \rightarrow 1, B \rightarrow 5, C \rightarrow 4 \}$$

$$\{ A \rightarrow 1 \} \cup \{ A \rightarrow -1 \} = \{ A \rightarrow 0 \} = \{ \}$$

What does Cross Product do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \times \{ C \rightarrow 4 \} = \{ \langle A, C \rangle \rightarrow ?, \langle B, C \rangle \rightarrow ? \}$$

# Multiset Deltas

What does Union do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \cup \{ B \rightarrow 2, C \rightarrow 4 \} = \{ A \rightarrow 1, B \rightarrow 5, C \rightarrow 4 \}$$

$$\{ A \rightarrow 1 \} \cup \{ A \rightarrow -1 \} = \{ A \rightarrow 0 \} = \{ \}$$

What does Cross Product do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \times \{ C \rightarrow 4 \} = \{ \langle A, C \rangle \rightarrow 4, \langle B, C \rangle \rightarrow ? \}$$



# Multiset Deltas

What does Union do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \cup \{ B \rightarrow 2, C \rightarrow 4 \} = \{ A \rightarrow 1, B \rightarrow 5, C \rightarrow 4 \}$$

$$\{ A \rightarrow 1 \} \cup \{ A \rightarrow -1 \} = \{ A \rightarrow 0 \} = \{ \}$$

What does Cross Product do?

$$\{ A \rightarrow 1, B \rightarrow 3 \} \times \{ C \rightarrow 4 \} = \{ \langle A, C \rangle \rightarrow 4, \langle B, C \rangle \rightarrow 12 \}$$

# Multiset Deltas

What does projection do?

$$\begin{aligned}\pi_{Attr1} \{ \langle A, X \rangle \rightarrow 1, \langle A, Y \rangle \rightarrow 2, \langle B, Z \rangle \rightarrow 5 \} \\ &= \{ \langle A \rangle \rightarrow 1, \langle A \rangle \rightarrow 2, \langle B \rangle \rightarrow 5 \} \\ &= \{ \langle A \rangle \rightarrow 3, \langle B \rangle \rightarrow 5 \}\end{aligned}$$

**This effect seems... familiar**

If you find this subject interesting... let's chat.



<http://www.dbtoaster.org>